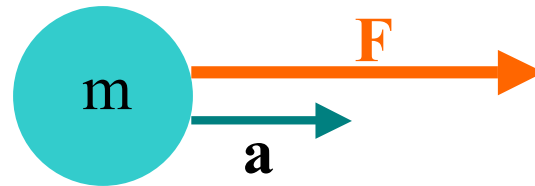


# Recap.

- Newton's 1<sup>st</sup> and 2<sup>nd</sup> laws relate the **net force** to the **resultant acceleration** of an object.



$$\vec{a} = \frac{\vec{F}}{m}$$

- **Weight and mass are not the same!**
- **Weight is a gravitational force exerted on a body of mass 'm' :**  $\mathbf{W = m \cdot g}$
- **Mass is an inherent property of a body related to its quantity of matter. Mass is also a measure of its resistance “inertia” to change in motion.**
- **The weight of an object may vary, depending on ‘g’ varying, but its mass is constant.**

# Weight

Example: A body of mass 100 kg on the moon weighs:

$$W = m \cdot g = 100 \times 9.8 / 6 = 163 \text{ N}$$

(Compared with 980 N on Earth)

Note: In English (imperial) system, weight (W) is measured in **lbs** (pounds) – which is also a **force**.

$$1 \text{ lbs} = 4.45 \text{ N} \quad \text{so,} \quad W = 163 \text{ N} = 36.6 \text{ lbs only!}$$

A mass of 1 kg therefore weighs 9.8 N or 2.2 lbs near Earth's surface.

# Newton's Laws Continued... Chapter 4

## Questions:

- What is the origin of a force?
- How can we identify a force?
- What happens when a force arises?

**Example:** If we **push** on an object – how does it **react**? Does it push back? If so, how does the push back affect us?

**Newton's 3<sup>rd</sup> law** of motion helps us identify and quantify the **external forces** acting on an object (at rest or in motion).

# Experiment: Pushing hands...

## Results:

1. In order to **enable a force** there has to be an **interaction between two** objects.
2. The interacting objects appears to **push back on you!**
3. The **harder** you push, the **harder** the push back!

## Newton's 3<sup>rd</sup> law

Embodies the idea that **forces** are caused by **interactions of two** (or more) objects – each exerts a force on the other...

## Newton's 3<sup>rd</sup> Law:

In Newton's words: **“To every action there is always opposed an equal reaction.”**

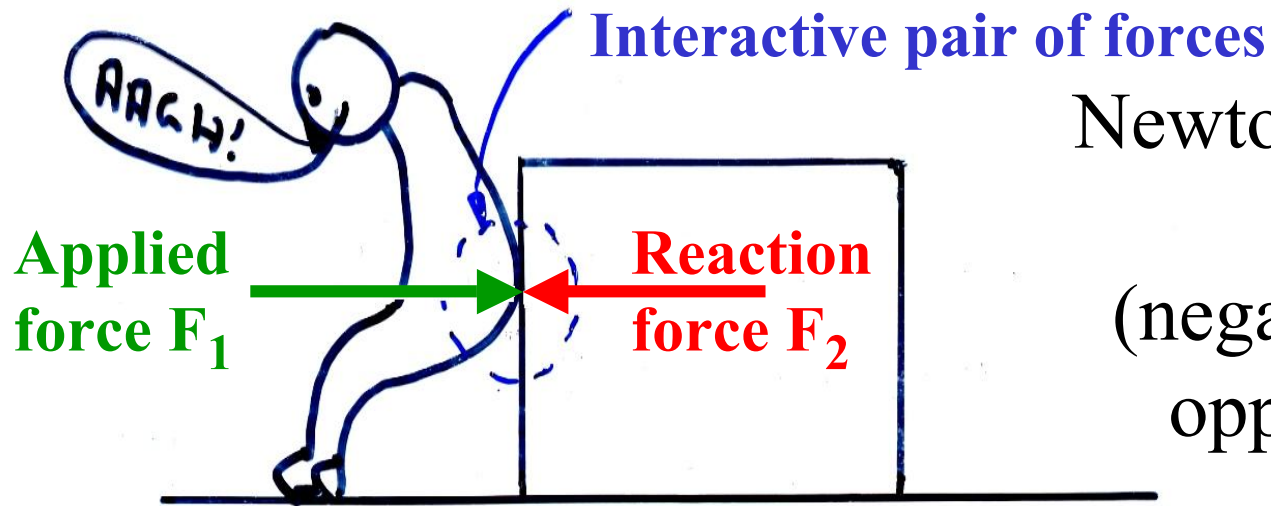
③ The **interaction** of two bodies always occurs by way of a **force** and an **equal–magnitude**, **oppositely directed counterforce** (reaction).

Or we could simply say:

**“If an object 1 exerts a force ‘F’ on object 2, then object 2 will exert a counterforce ‘-F’ on object 1.”**

- There is **no such thing as a single force**—there is only **interaction!**
- **Forces** always occur in **pairs** and are always **directed oppositely**.
- These **paired forces** always act on **two different objects** — never the same one.

**Example 1:** If you push a lab bench, the **applied force is on the bench**, but the **reaction force produced by the bench is on you**.



Newton's 3rd law states:

$$\mathbf{F}_2 = -\mathbf{F}_1$$

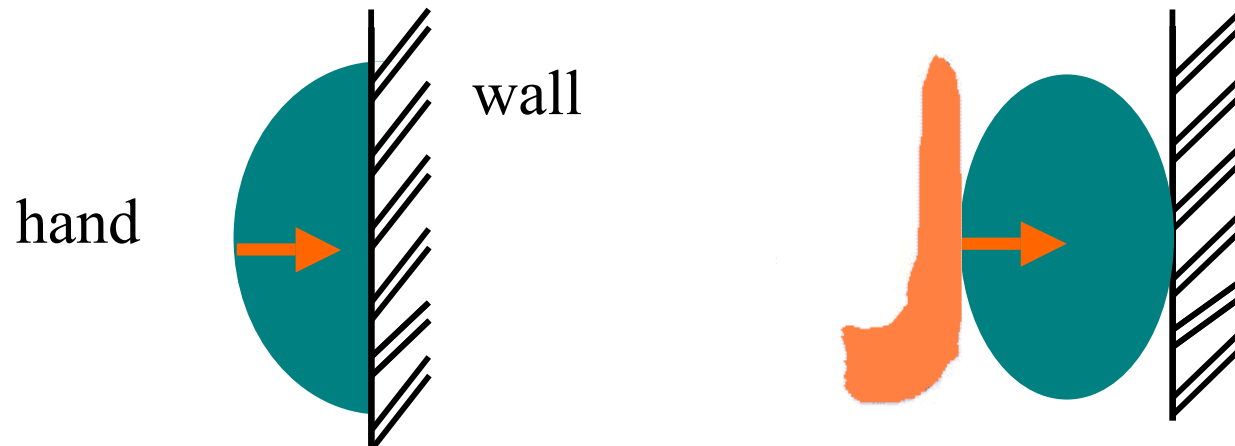
(negative sign denotes opposite direction)

The force  $F_1$  that you apply will enable you to move the bench (if it is large enough to overcome friction).

The force  $F_2$  acts on you...and if you push too hard you may be pushed over (if reaction force exceeds friction of your feet on ground).

## Example 2: (Two interacting force pairs)

What happens if we press a balloon against a wall?



Does it ... Go flat on the side next to the wall?... or stay symmetrically shaped?

**Answer:** It stays **symmetrically shaped**, but why?

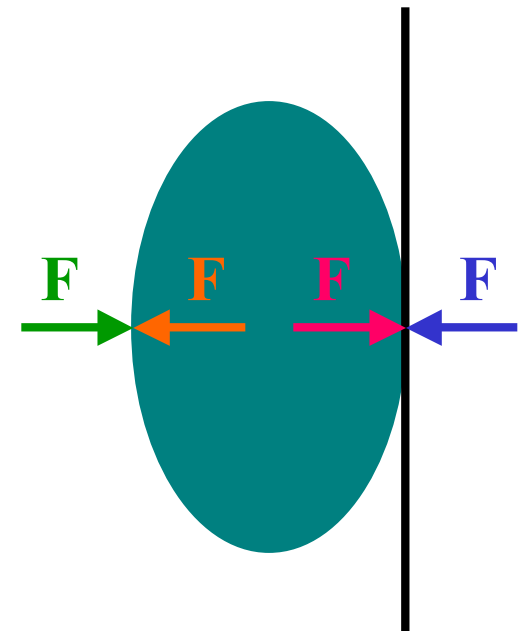
**Reasoning:** To be symmetric both the **wall** and the **hand** must push **equally** on the balloon.

1. Hand pushes on balloon with force ' $F$ '.

2. Balloon pushes on hand with equal and opposite force ' $-F$ '.

3. Balloon acts as an extension of hand and transmits hand force ' $F$ ' to wall.

4. Wall reacts with equal and opposite force on balloon.

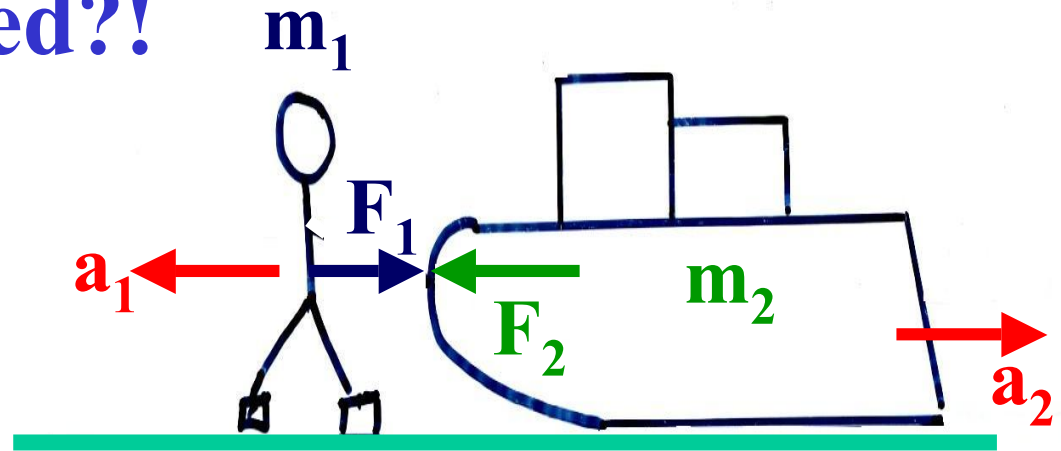


Thus balloon is **squashed** from **both sides** by  $F$  &  $F$ .



## Still not convinced?!

Consider what happens if you try to push a loaded sled on ice...



According to Newton's 3rd law as you push the sled, it will push back **equally** on you.

If no friction, then Newton's 2nd law gives:

$$\mathbf{F}_1 = \mathbf{m}_2 \mathbf{a}_2 \quad \text{and} \quad \mathbf{F}_2 = \mathbf{m}_1 \mathbf{a}_1 \quad \text{but} \quad \mathbf{F}_2 = -\mathbf{F}_1 \dots$$

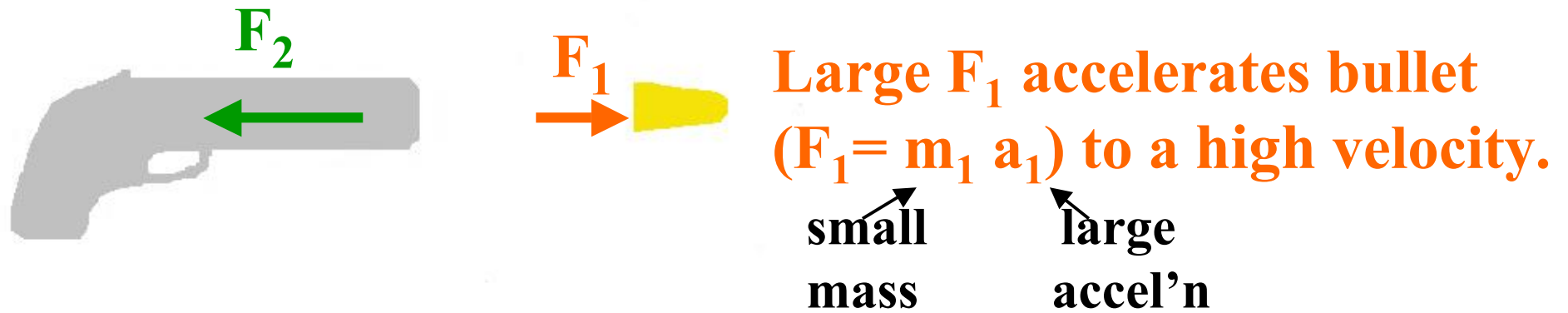
$$\text{So: } \mathbf{m}_1 \mathbf{a}_1 = -\mathbf{m}_2 \mathbf{a}_2 \quad \text{or..} \quad \mathbf{a}_1 = -\left(\frac{\mathbf{m}_2}{\mathbf{m}_1}\right) \mathbf{a}_2$$

Thus both objects will accelerate in **opposite directions** with values inversely proportional to their masses.

## Example:

- If ratio of masses is 10:1, then the induced accelerations (and hence velocities as  $a = \Delta v / t$ ) will be in same ratio.
- Thus depending upon how hard you push, you could be pushed back with a high velocity!
- This effect is often called “recoil”.

Common example is firing a gun...



**Recoil  $F_2$  ( $= -F_1$ ) accelerates gun backwards.**

**Qu:** How to reduce the impact of recoil?

**Answer:** Make the gun heavy, so that 'a' is lower.

$$F_2 = m_{\text{gun}} a_{\text{gun}} = -F_1$$

**Trick:** Hold gun **rigid with body** (so body and gun are effectively on large mass).

**- reduces recoil and improves your aim...**

# Reaction Force:

- This is also how **rockets** work in the **atmosphere** and in **outer space**.
- Like firing a **continuous series of bullets** out of the back and moving **forward** on the **recoil**.
- **Note:** We will consider this again when we discuss conservation of momentum and impulse in chapter 7.
- **Conservation of momentum** allows us to determine velocity changes **without** a detailed **knowledge** of the **forces** involved.

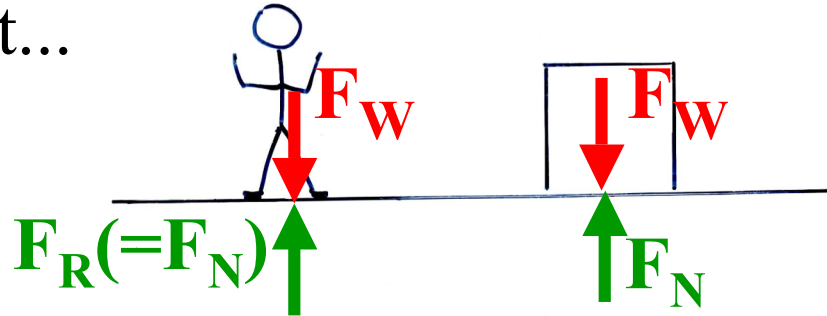
# Summary:

- Now we know it all ?!
- **Newton's 1st and 2nd laws tell us how the forces change the motion.**
- **Newton's 3rd law says where force pairs come from - interaction with objects.**
- Note: In general **2<sup>nd</sup> and 3<sup>rd</sup> laws** are needed to define the forces.

# Forces Involved With Everyday Life

- We need to know **all** the **external** forces in order to find the **net force** on an object...

Free-body diagram:



- The weight of a person or object is supported by an equal and opposite **reaction force**  $F_R = F_W$ .
- In many cases  $F_R$  is normal (ie. perpendicular) to the surface and is called **Normal Force 'F<sub>N</sub>'**.
- In general,  $F_R$  at some angle to vertical...and vector components:

$F_N = \text{Weight } (F_W)$

$F_F = \text{Friction - to stop sliding}$

