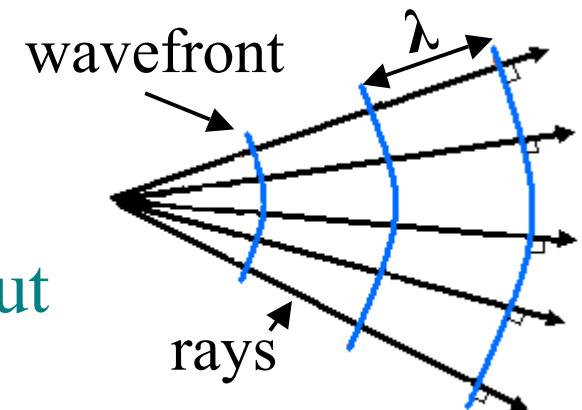
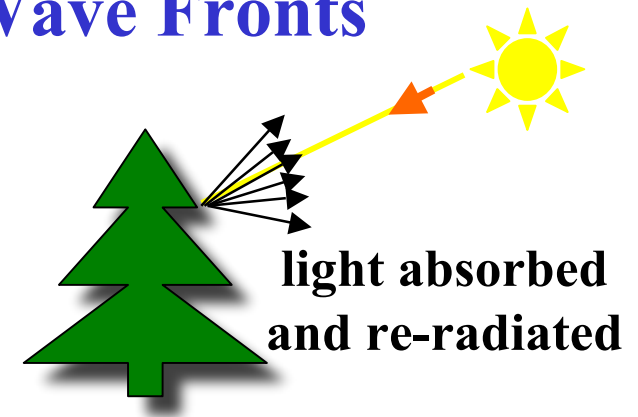


## Recap: Light “Rays” and Wave Fronts

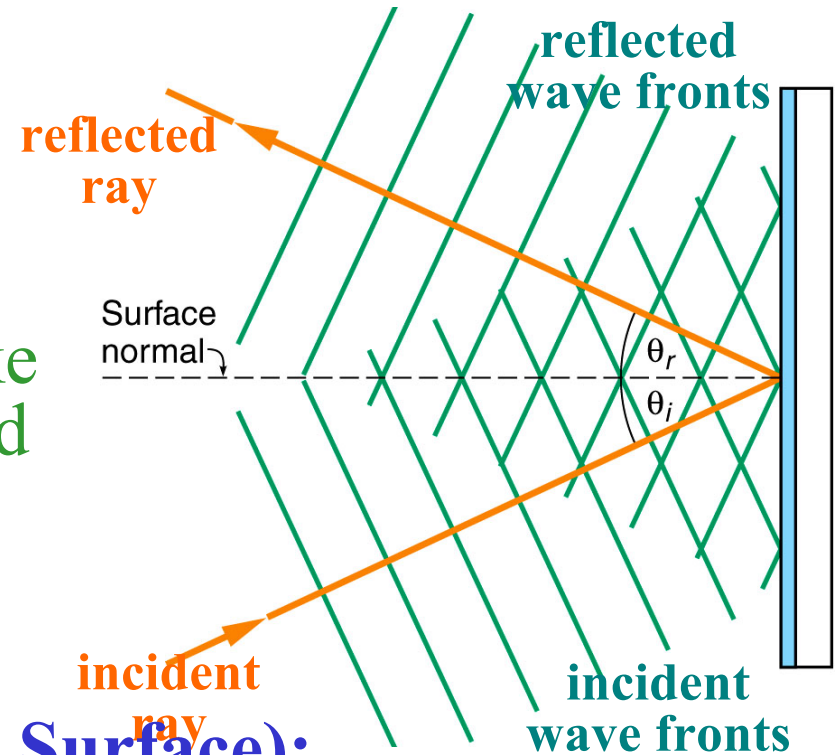
- Light from a source is **scattered in all directions** from **any given point**.
- Each and **every part** of an **object** therefore acts as (secondary) **source** of **light waves** that **radiate uniformly** from that point.
- These waves spread out (diverge) as they propagate away from the object and can be easily represented by “**light rays**”.
- Light **rays** are **always perpendicular** to the **wavefronts**.
- Each wavefront is **separated by one wavelength**.
- Wavefronts (from all points) **combine together** and **carry the information** about the **shape** of the object.
- Wavefronts are **complex** and it is **easier** to use **rays** which are **straight lines** (for any given medium, e.g. glass, air).



# Reflection

Plane waves reflecting in a mirror at an angle:

- The **light rays** (wavefronts) strike mirror at an **incident angle  $\theta_i$**  and are **reflected** off the mirror at **same speed** at angle  $\theta_r$ .



## Law of Reflection (Smooth Surface):

- ❖ The **angle** the **reflected ray** makes with the **normal** to the surface of reflection **equals** the **angle of incidence**:

$$\theta_i = \theta_r$$

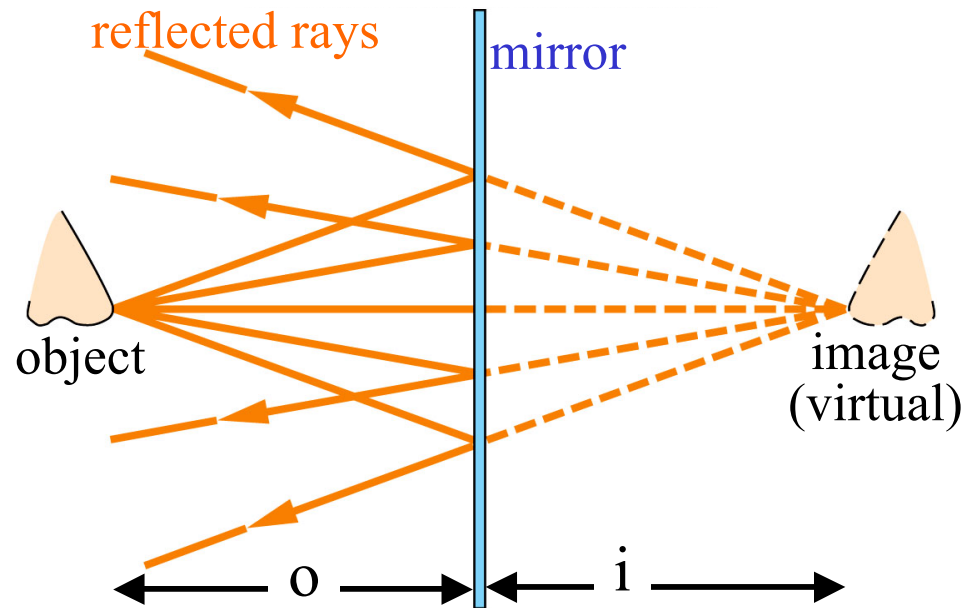
(Note: This is because the light waves **travel** at **same speed** before and after reflection.)

- The **reflected ray** always lies in **same plane** as **incident ray** and the **surface normal**.

# Images in Plane Mirrors

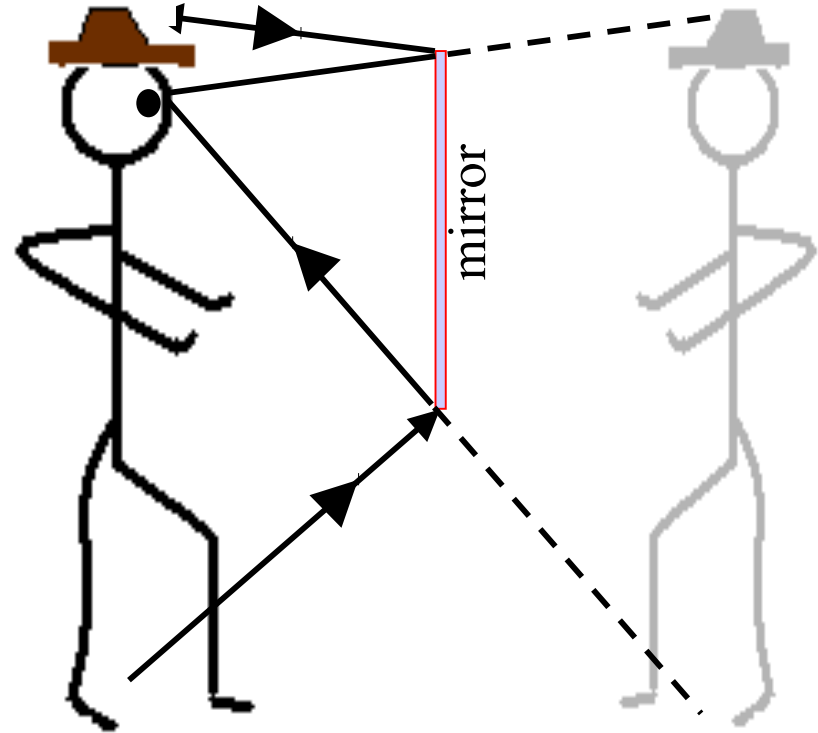
- By extending the **reflected rays backwards** from the mirror, they all **intersect at a point behind the mirror**.
- Your eye sees the **reflected rays** and you perceive a “**virtual**” image that appears to lie at this **point of intersection**. (light appears to come from this point.)
- This situation holds for **every point** on the object...and your face seems to **lie behind the mirror (a virtual image)**.
- By geometry, the distance of image behind mirror ‘**i**’ equals the distance of object in front of the mirror ‘**o**’.

$$i = o$$



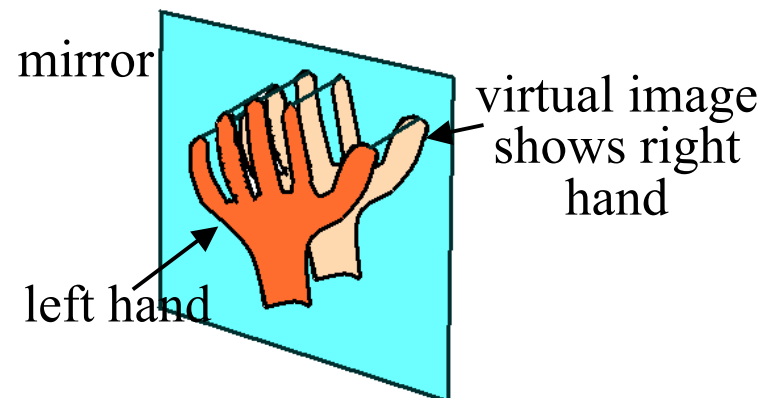
**Question:** How big does a mirror need to be in order to see your whole body?

- **Answer:** Mirror needs to be half your height with its upper edge lowered by half distance between your eye and top of your hat!
- Images formed in a plane mirror are **virtual** images (as the light does not pass through the image).
- Images are **upright** (right side up) and **same size** as object (no magnification) but are **laterally** (left  $\leftrightarrow$  right) **inverted**.



### Lateral Inversion:

- **Left hand** becomes a life-size image of a **right hand**!



# Refraction

- What happens to **light waves** when they enter a **transparent material** such as glass, H<sub>2</sub>O, plastic etc?
- Individual “**photons**” **collide** with **atoms** and are **absorbed** and **immediately re-emitted** (i.e scattered).
- Typically there are **billions** upon **billions** of **photons** **absorbed, re-emitted, and absorbed again and again** as light beam makes its way through the medium.
- The **net effect** of this process is that the **light waves** **effectively propagate** at a **speed lower than ‘c’** (even though individual photons **do not exist** at any speed other than ‘c’!).
- The **difference in speed of light in different materials** is called the **index of refraction ‘n’**:

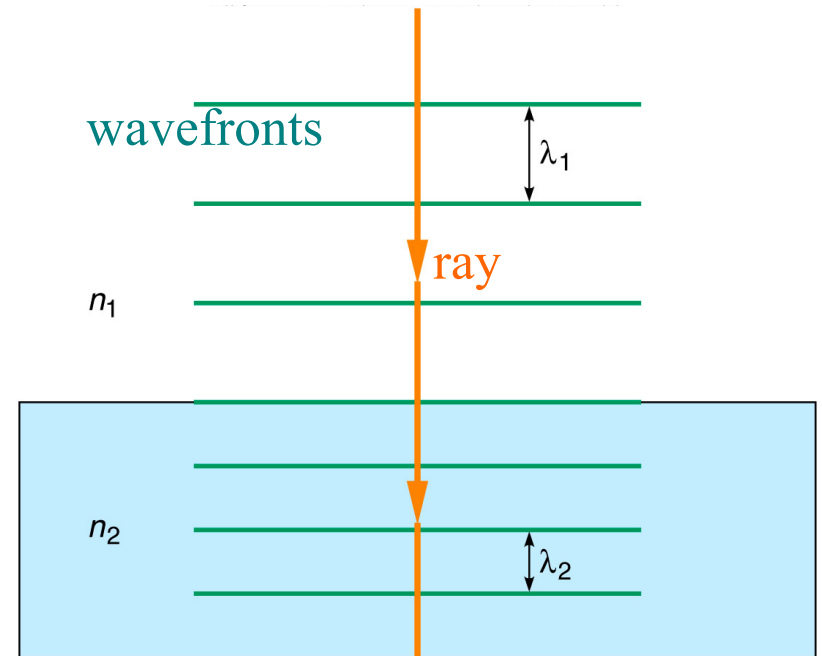
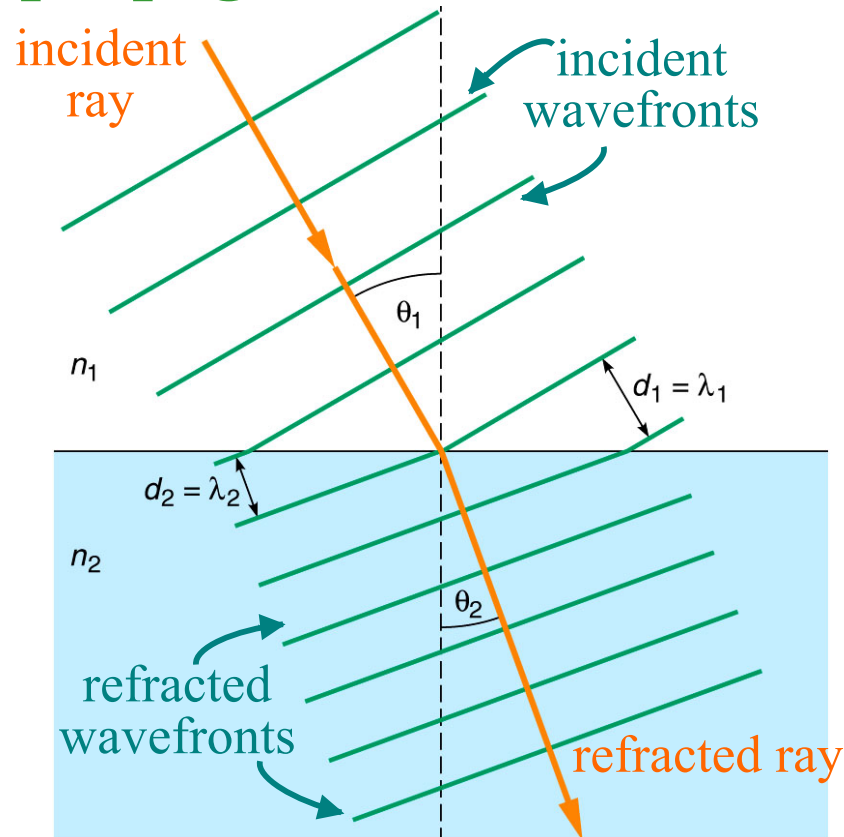
$$n = \frac{c}{v}$$

c = speed of light  
v = speed in medium

- **Typical values** of n = 1.5 or 1.6 (glass) which means light speed is ~ two thirds of speed in air /vacuum.

## Normal Incidence:

- The **reduced speed** results in a **decrease** in **wavelength** of the light in the higher 'n' medium.
- Effect of **reduced speed** and **wavelength** on **light ray propagation** in medium:



## Result:

- Wave fronts are bent (refracted) at the surface due to difference in propagation speed.
- Refracted ray **no longer parallel** to incident ray (except at normal incidence)

- Amount of bending depends on:
  - angle of incidence
  - refractive index of medium
- A large difference in refractive index produces a large bend in the light ray.

## Snell's Law:

- ❖ When light passes from one transparent medium to another, the rays will be bent towards the normal if the refractive index of medium is larger.

$$n_1 \cdot \sin \theta_1 = n_2 \cdot \sin \theta_2$$

or

$$\frac{n_1}{n_2} = \frac{\sin \theta_2}{\sin \theta_1}$$

**Note:** For small angles:  $\sin \theta \rightarrow \theta$  (in radians).

- When light travels from glass to air, the bending is in the opposite direction (i.e. rays bend away from normal when going from high to low 'n' medium).
- Remember: Light rays are reversible!

# Summary: Refraction

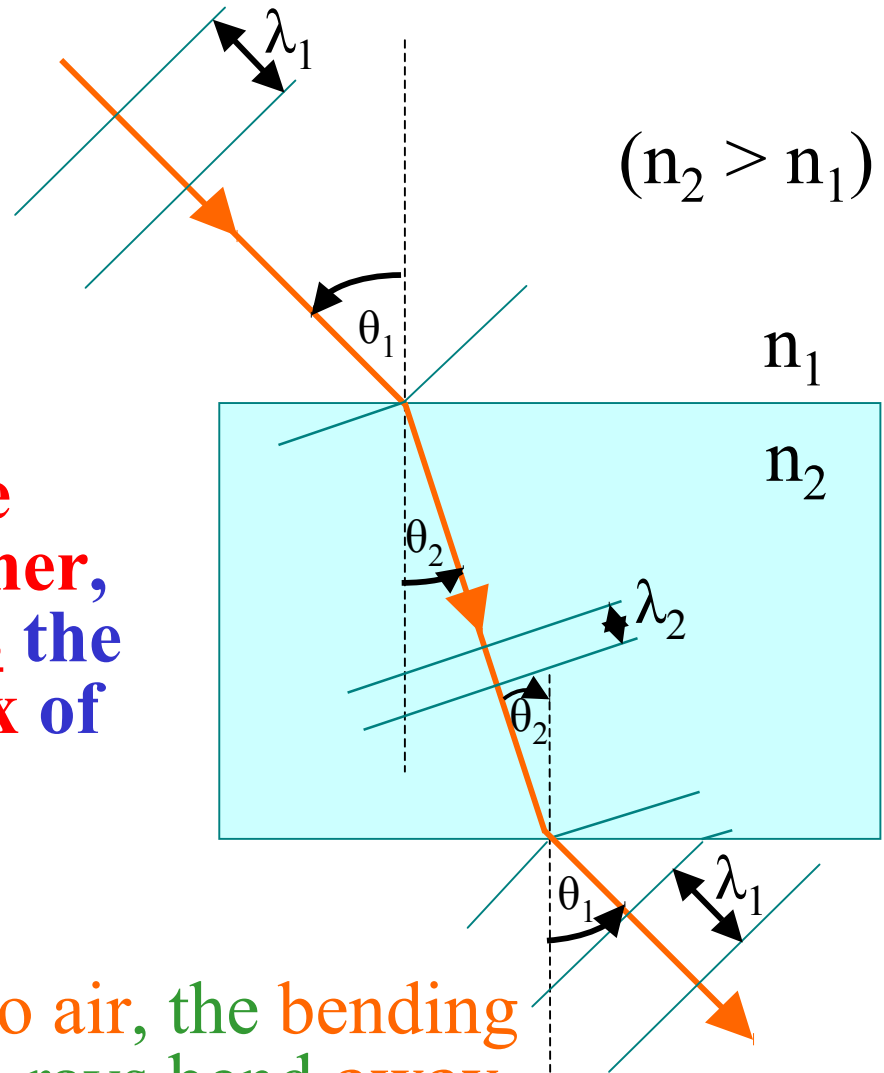
- Amount of bending depends on:
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## Snell's Law:

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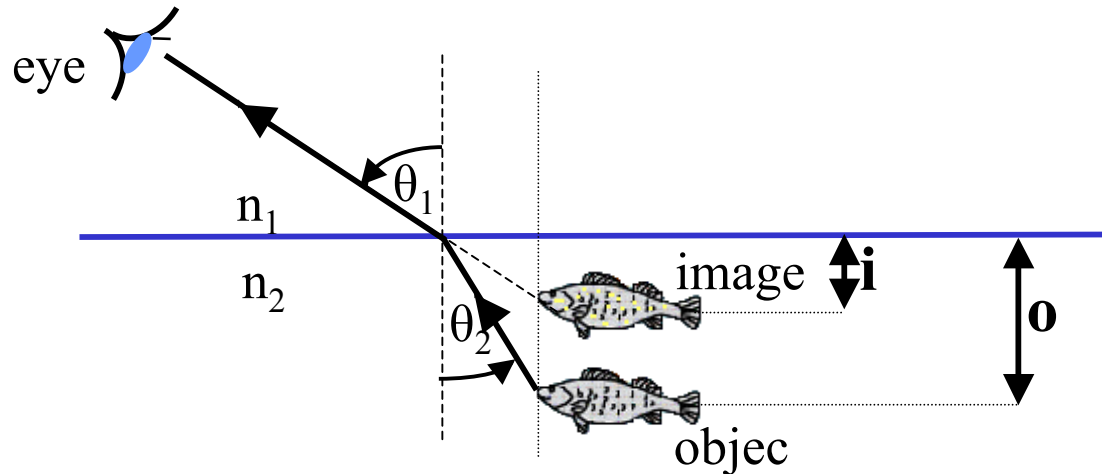
$$n_1 \cdot \sin \theta_1 = n_2 \cdot \sin \theta_2$$

- When light travels from glass to air, the bending is in the **opposite direction** (i.e. rays bend **away** from normal when going from high to low 'n' medium).





- **Example of refraction: Viewing objects under water...**



- Due to **refraction** the **image** of the fish will **appear closer** to the surface than it actually is.
- **Relationship for apparent depth:**

$$i = o \left( \frac{n_1}{n_2} \right) \quad (\text{provided } n_2 > n_1)$$

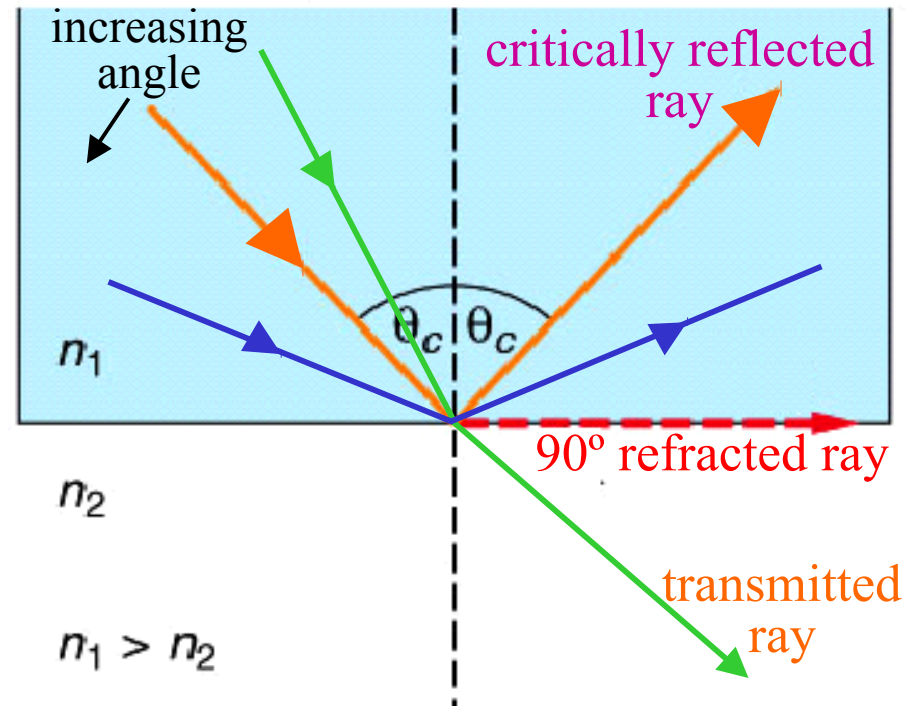
- E.g. If  $n_2$  (water) = 1.33 what is the apparent depth of a fish at 2 m depth?

$$i = 2 \times \left( \frac{1}{1.33} \right) = 1.5 \text{ m}$$

- The fish is 0.5 m below its image (virtual image) and is safe!

# Total Internal Reflection

- When **light travels** from a **high** to a **lower refractive index** medium (as with the fish looking at us) the **ray is bent away** from normal.



- Depending on 'n', a critical angle of incidence ( $\theta_c$ ) can be reached where the **angle of refraction =  $90^\circ$** .
- When the angle of **refraction equals  $90^\circ$** , the ray is **no longer transmitted** but is instead **totally internally reflected** at the interface.
- At angles **equal or greater than critical value** ( $\sim 42^\circ$  for glass,  $n=1.5$ ) **100% of light is reflected** creating a **perfect mirror!**  
**Note:** On **transmission** some light is always lost to **reflection** within the medium.